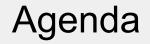
# Genome 540 discussion

#### February 4th, 2025 Joe Min





### Homework 4

Object oriented programming

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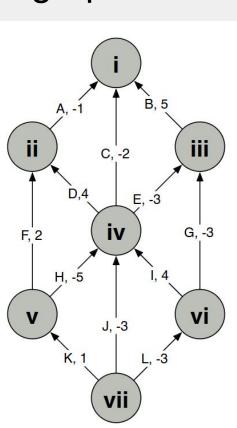
### Overview

- 1. Write a program to find the highest-weight path in a directed acyclic graph using dynamic programming
- 2. Run your program on a linked list created from DNA sequence

### Homework 4: part 1

## Read in and process a visual graph

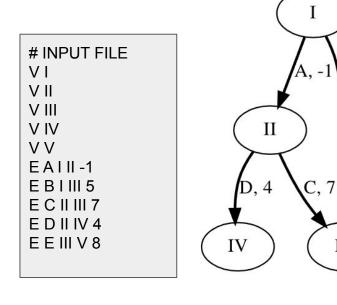
- First convert the visual graph into a text input file with vertices and edges
- Then, find max weight path with dynamic programming
- With and without start/end constraints

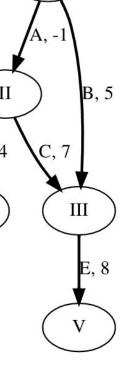


# INPUT FILE V vii START V vi
V i END
 E A ii i -1 E B iii i 5
E L vii vi -3

# No constraints Score: 8 Begin: vi End: ii Path: ID

# With constraints Score: 4 Begin: vii End: i Path: LIDA

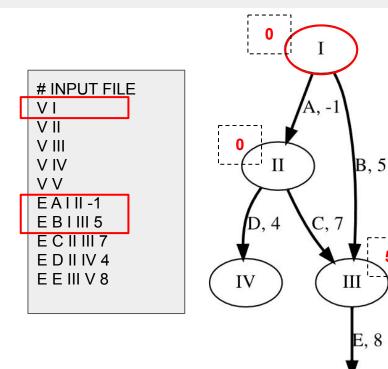




You can structure your input file in depth order so it's easier to read it in for bookkeeping

Vertex	I	II		IV	V
Highest weight parent	I	II		IV	V
Highest weight path weight	0	0	0	0	0

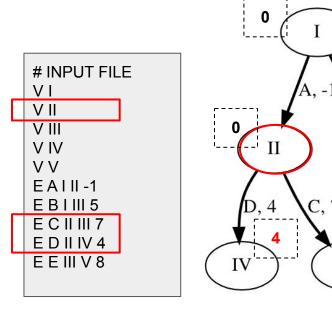
	End	Weight
Best overall path		

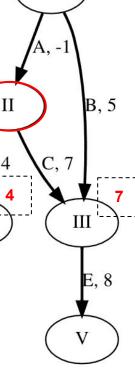


Process nodes (and their outbound edges) in depth order and update notes (as needed)

Vertex	I	II	Ш	IV	V
Highest weight parent	I	I	I	IV	V
Highest weight path weight	0	0	5	0	0

	End	Weight
Best overall path	III	5

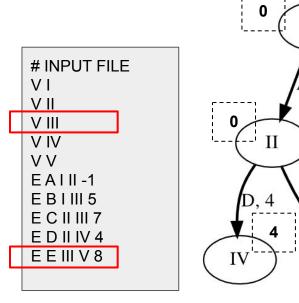


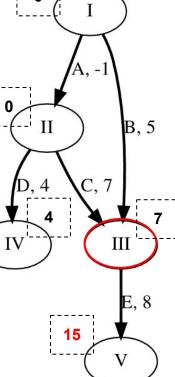


# Continue down the graph in depth order

Vertex	I	II		IV	V
Highest weight parent	I	II	II	II	V
Highest weight path weight	0	0	7	4	0

	End	Weight
Best overall path	III	7

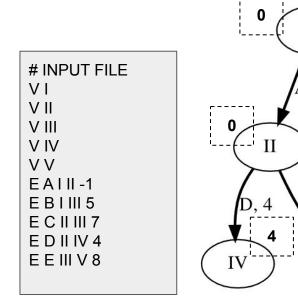


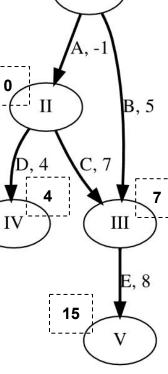


# Once we run out of edges, we're done

Vertex	I	II		IV	V
Highest weight parent	I	II	II	II	ш
Highest weight path weight	0	0	7	4	15

	End	Weight
Best overall path	V	15





We can work backwards to reconstruct the reversed path:

### $\mathsf{V} \to \mathsf{III} \to \mathsf{II}$

Vertex	I			IV	V
Highest weight parent	I				< III 🕴
Highest weight path weight	0	0	7	4	15

	End	Weight
Best overall path	V	15

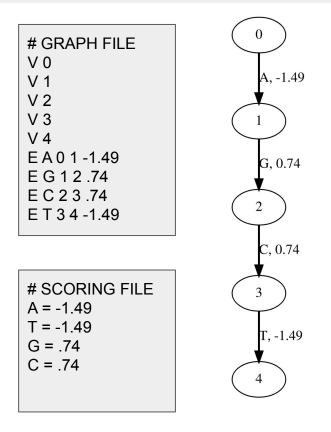
### Homework 4: part 2

Overview

Create a linked list from a DNA sequence and a scoring scheme

- Positions are vertices
- Bases are edges

Run your program from part 1 on the graph



### Object oriented programming

### What are objects?

Objects are instantiations of classes, which are data structures with custom functions

#### C++:

```
class MyClass { // The class
public: // Access specifier
void myMethod() { // Method/function defined inside the class
cout << "Hello World!";
};
int main() {
MyClass myObj; // Create an object of MyClass
myObj.myMethod(); // Call the method
return 0;
}</pre>
```

### Python:

```
class Person:
    def __init__(self, name, age):
        self.name = name
        self.age = age
```

```
p1 = Person("John", 36)
```

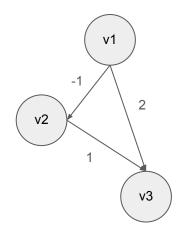
print(p1.name)
print(p1.age)

### What is object oriented programming?

Write programs in such a way that we primarily deal with objects that interact with each other within code, as opposed to more abstract representations of data

## Example: graphs

To create a trivial graph and print out the neighbors of a single vertex, we can store value in a dictionary



```
# Non-object oriented pseudocode
vertices = {}
for v_name in ['v1', 'v2', 'v3']:
    vertices[v_name] = []
for e_tuple in [('v1', 'v2', -1), ('v1, 'v3', 2), ('v2', 'v3', 1)]:
    v_name = e_tuple[0]
    v_neighbor = e_tuple[1]
    e_weight = e_tuple[2]
    vertices[v_name].append((v_neighbor, e_weight))
print([e[0] for e in vertices['v1'])
```

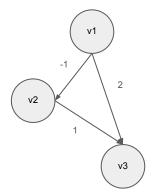
# Example: graphs

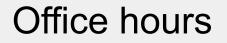
# Pseudocode class Vertex: # name is a string # edges is a list of Edge objects def init (self, name): self.name = name self.edges = [] def add\_edge(self, edge): self.edges.append(edge) def get neighbors(self): neighbors = [] for edge in self edges: self.neighbors.append(edge.end) return neighbors

class Edge:

```
# start and end are strings
def __init__(self, start, end, weight):
    self.start = start
    self.end = end
    self.weight = weight
```

# Object oriented pseudocode
vertices = {}
for v\_name in ['v1', 'v2', 'v3']:
 vertices[v\_name] = Vertex(v\_name)
for e\_tuple in [('v1', 'v2', -1), ('v1, 'v3', 2), ('v2', 'v3', 1)]:
 v\_name = e\_tuple[0]
 vertex = vertices[v\_name]
 edge = Edge(v\_name, e\_tuple[1], e\_tuple[2])
 vertex.add\_edge(edge)
print(vertices['v1'].get\_neighbors())





Reminder:

Homework 4 is due Sunday, February 9th at 11:59pm!